

# Lösungen / Statistik 2/13

```
Remove["Global`*"]
```

---

**1.**

**a**

```
alpha = 0.01;
f[z_, n_] := Gamma[(n + 1)/2] / (Sqrt[n Pi] Gamma[n/2]) / (1 + z^2/n)^((n + 1)/2);
{"c", c = c /. FindRoot[alpha/2 == Evaluate[1 - Integrate[f[u, 20], {u, -Infinity, c}]], {c, 2}] // Chop, "Interv", {-c, +c}}]

FindRoot::lstol :
The line search decreased the step size to within tolerance specified by AccuracyGoal and
PrecisionGoal but was unable to find a sufficient decrease in the merit function. You may
need more than MachinePrecision digits of working precision to meet these tolerances. Mehr...
{c, 2.84534, Interv, {-2.84534, 2.84534} }

Ii[s_, n_, μ0_] := {-c * s / Sqrt[n] + μ0, c * s / Sqrt[n] + μ0}

Ii[1.2, 20, 128]
{127.237, 128.763}

{-2.84534 * 1.2 / Sqrt[20] + 128, 2.84534 * 1.2 / Sqrt[20] + 128}
{127.237, 128.763}
```

127.3 in Ii, H0 o.k.

**b**

```
alpha = 0.001;
f[z_, n_] := Gamma[(n + 1)/2] / (Sqrt[n Pi] Gamma[n/2]) / (1 + z^2/n)^((n + 1)/2);
{"c", c = c /. FindRoot[alpha/2 == Evaluate[1 - Integrate[f[u, 100], {u, -Infinity, c}]], {c, 2}] // Chop, "Interv", {-c, +c}}]

{c, 3.39049, Interv, {-3.39049, 3.39049} }

Ii[s_, n_, μ0_] := {-c * s / Sqrt[n] + μ0, c * s / Sqrt[n] + μ0}

Ii[2, 100, 400]
{399.322, 400.678}
```

406.78 not in Ii, H1 o.k.

---

**2.**

```
alpha = 0.001;
f[z_, n_] := Gamma[(n + 1)/2] / (Sqrt[n Pi] Gamma[n/2]) / (1 + z^2/n)^( (n + 1)/2);
{"c",
c = c /. FindRoot[alpha == Evaluate[Integrate[f[u, 100], {u, -Infinity, c}]], {c, -2}] // Chop, "Interv", {-c, Infinity}}
{c, -3.17374, Interv, {3.17374, \[Infinity]}}

Ii[s_, n_, \[Mu]0_] := {c*s/Sqrt[n] + \[Mu]0, \[Infinity]*s/Sqrt[n] + \[Mu]0}
Ii[2, 100, 400]
{399.365, \[Infinity]}
```

406.78 in II, H1 o.k.